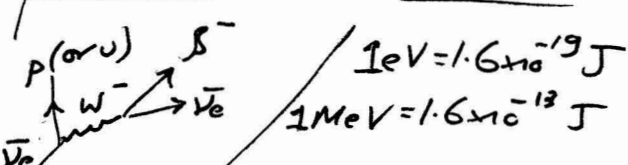
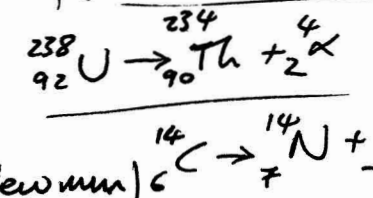


Q, L, B always conserved (if leptons involved, is weak interaction)
 $e^-, \nu: L = +1$
 S only conserved in strong.

α : ~~He~~ **HIGHLY IONISING, WEAKLY PENETRATING** (paper) (few cm of air)

β : e^- **MEDIUM IONISING + PENETRATING ABILITY** (few mm) of Al

γ : **WEAKLY IONISING, HIGHLY PENETRATIVE** (reduced by concrete, lead)



Photoelectric Effect:
 "When photons of sufficient energy are absorbed by electrons on surface of metal, liberating them"

$1\text{eV} = 1.6 \times 10^{-19}\text{J}$
 $1\text{MeV} = 1.6 \times 10^{-13}\text{J}$

4 FORCES (QED)
 gauge boson/exchange particle

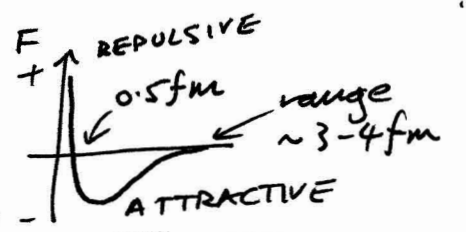
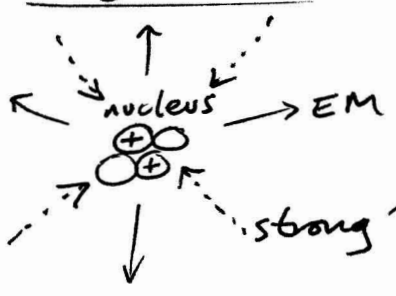
- * EM \rightarrow virtual photon γ
- * Strong \rightarrow pion / gluon
- * Weak \rightarrow W^+/W^- (Z^0)
- * Gravity \rightarrow graviton

ISOTOPES: SAME ELEMENT (PROTONS), DIFFERENT # NEUTRONS

$^{12}_6\text{C}, ^{14}_6\text{C}$

SPECIFIC CHARGE = $\frac{Q}{m}$ (Ckg^{-1}) (HUGE!)

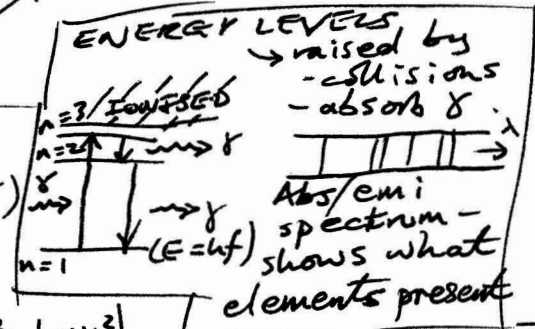
$n: udd$
 $p: uud$



MASS \rightleftharpoons Energy
 $E = mc^2$ (rest E)

ANNIHILATION
 $e^- + e^+ \rightarrow \gamma$ ($E = hf$)

$e^- \rightarrow e^- + \gamma$ ($E = hf$)



PARTICLES & QUANTUM

de Broglie λ

matter/particles have λ

$\lambda = \frac{h}{p} = \frac{h}{mv}$

$mE = \frac{1}{2}mv^2 = \frac{1}{2}p^2$

$\therefore p = \sqrt{2mE}$

- FLUORESCENT TUBE**
- Thermionic emission at cathode
 - e^- acc, collides with mercury atoms - visible light
 - UV γ emitted, absorbed by coating
 - Visible light emitted

$E_{\text{max}} = hf - \phi$

E (left over) after e^- liberated

E_{ϕ} photon

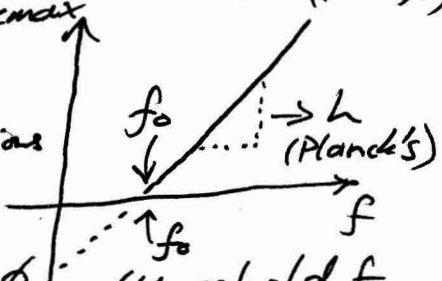
work function (min E needed to liberate electron) ($\phi = hf_0$)

- Proved particle nature of light; one-to-one interactions between photons + electrons.

- If only wave, increasing Intensity would increase E_{max} .

- Instead, it only increases # electrons emitted.

f_0 (threshold $f \rightarrow$ min f needed to liberate electrons).



* E_{max} calculated from $\rightarrow V_s$

- p.d. needed to reduce current to 0

\therefore "cancelling out" E_k of electrons.

$E_{\text{max}} = eV_s$ \leftarrow 'stopping potential'

